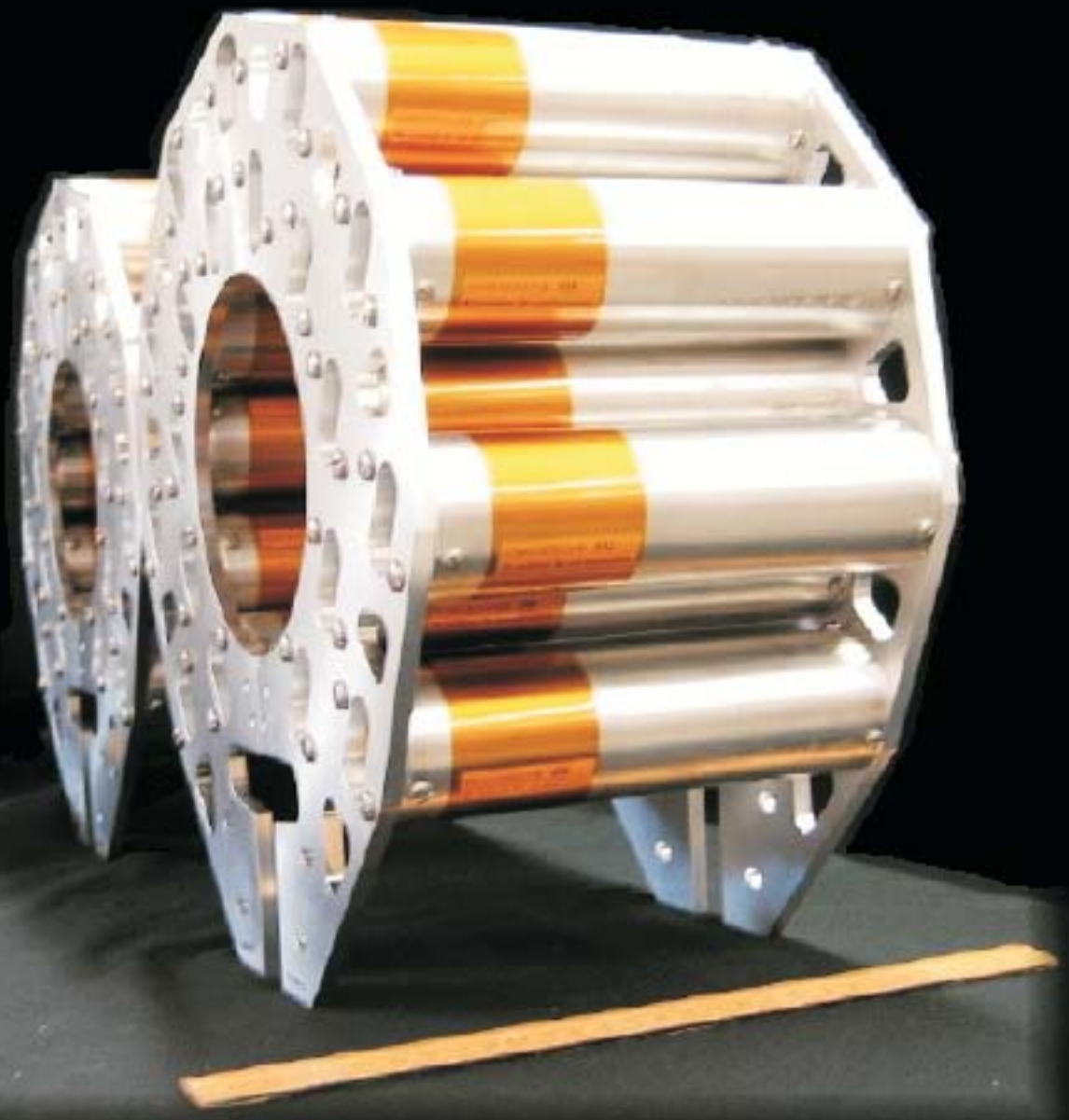


# Brief Introduction to the VPD & the TOF Start-Side

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☆ Analysis Meeting  
UCLA, June 17, 2010



1. STAR L-0 Triggering...  
...including Zvtx selection
2. TOF Start Timing...
3. Polarimetry...

## Outline:

- Mechanics & Acceptance
- Electronics & Digitization
- Offline Calibrations
- Outlier Rejection
- Vertex Consistency
- Resolution
- Triggering

## What's the idea here?

two very forward detector assemblies on each side of STAR, each with **many sub-detectors**, and each sub-detector has a **good time resolution**

Exploit the fact that **very forward particles are typically very fast** ( $v \sim c$ ) to measure:

### START TIME

$$\text{TOF} = T_{\text{stop}} - T_{\text{start}}$$

$T_{\text{east}}$ : ...time from the east detector asy,  $T_{\text{west}}$ : ...time from the west detector asy

$$T_{\text{start}} = (T_{\text{east}} + T_{\text{west}})/2$$

...pushes an offset of  $d/c$  to the stop-side

$$T_{\text{start}} = (T_{\text{east}} + T_{\text{west}})/2 - d/c$$

...gives  $T_{\text{start}}$  at the primary vertex

### ZVTX from timing -

a 2nd opinion to the  $Z_{\text{vtx}}$  from tracking...

can also be measured very quickly, allowing constraints on  $Z_{\text{vtx}}$  at Level-0...

$$Z_{\text{vtxVPD}} = (c/2)(T_{\text{east}} - T_{\text{west}})$$

TOF PRO: TOF extends the momentum intervals allowing direct PID!

TOF CON: The resolution track-by-track is much more complicated than for  $dE/dx$ ...

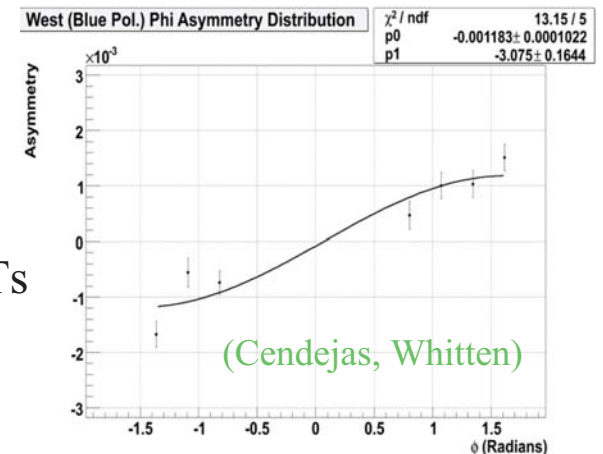
$N$ sigma-type cuts and trivial PID-efficiency corrections are generally approximate...

A lot of this more complicated resolution dependence is coming from the start-side!

This is a main theme of this brief introduction to the TOF start-side....

I'll come to the resolution on  $T_{\text{start}}$  and  $Z_{\text{vtxVPD}}$  later...

**POLARIMETRY**  
look at L/R  
asymmetries  
of the lit PMTs

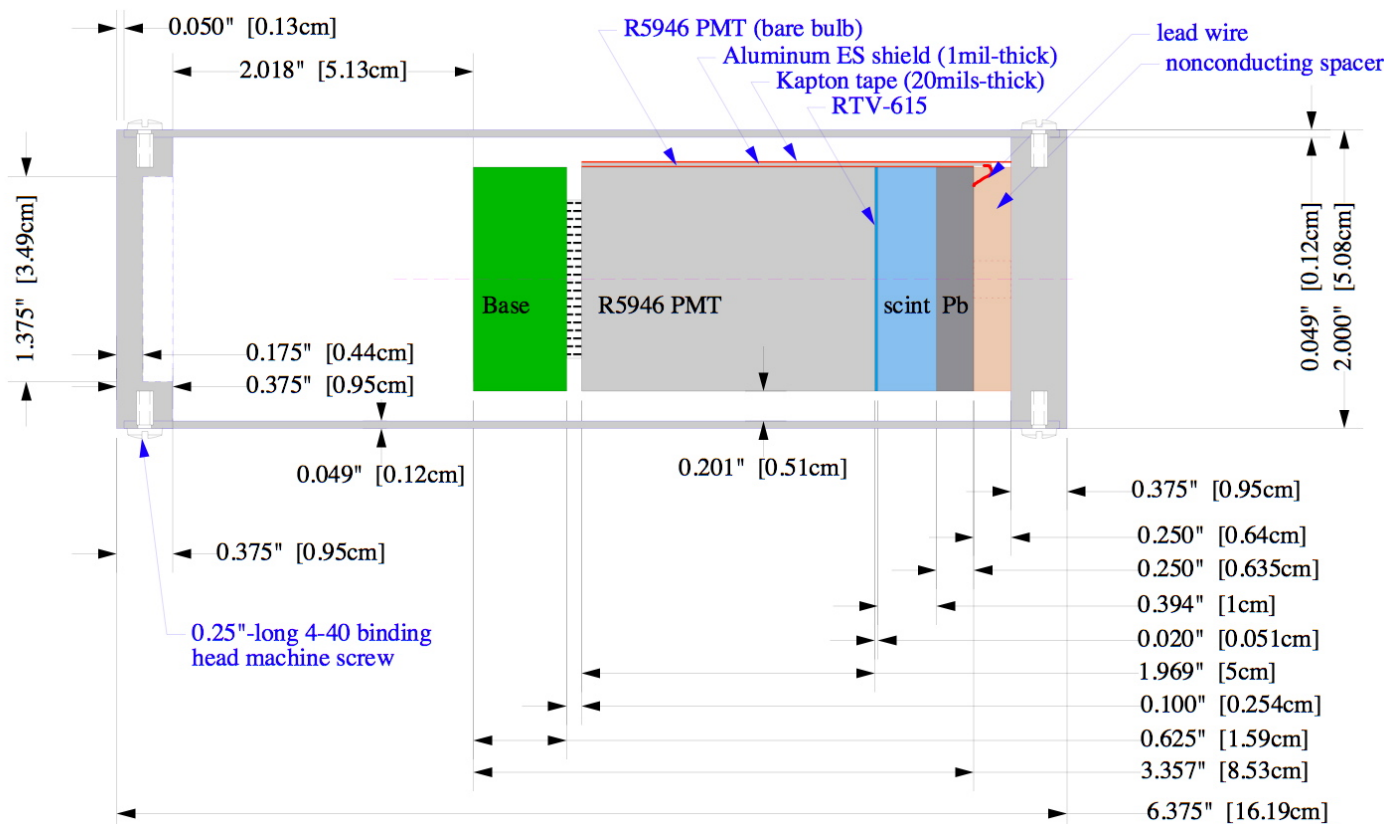
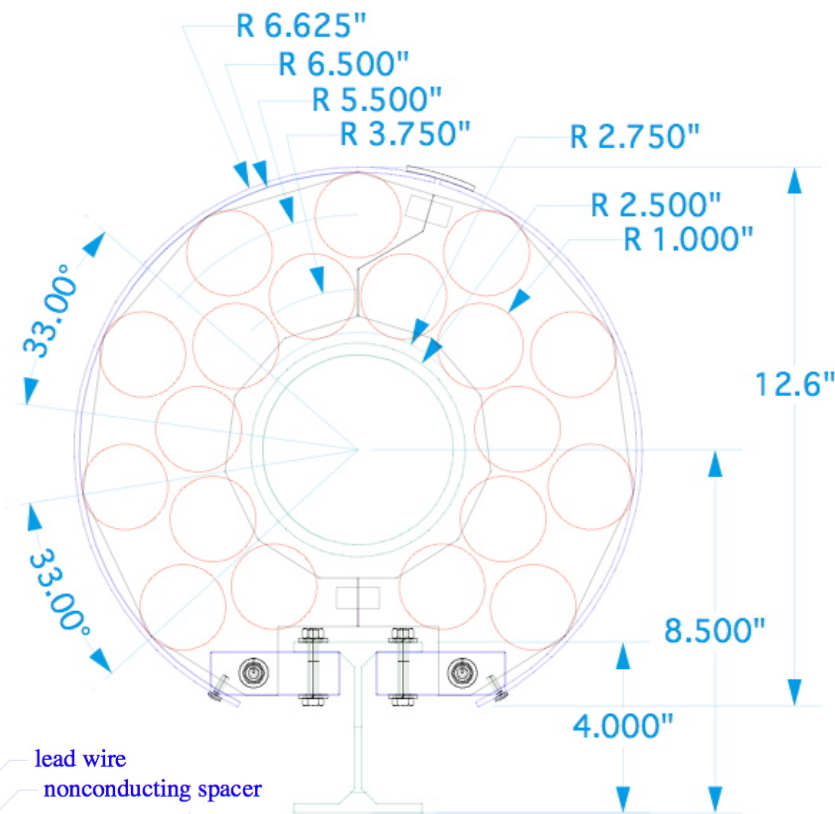


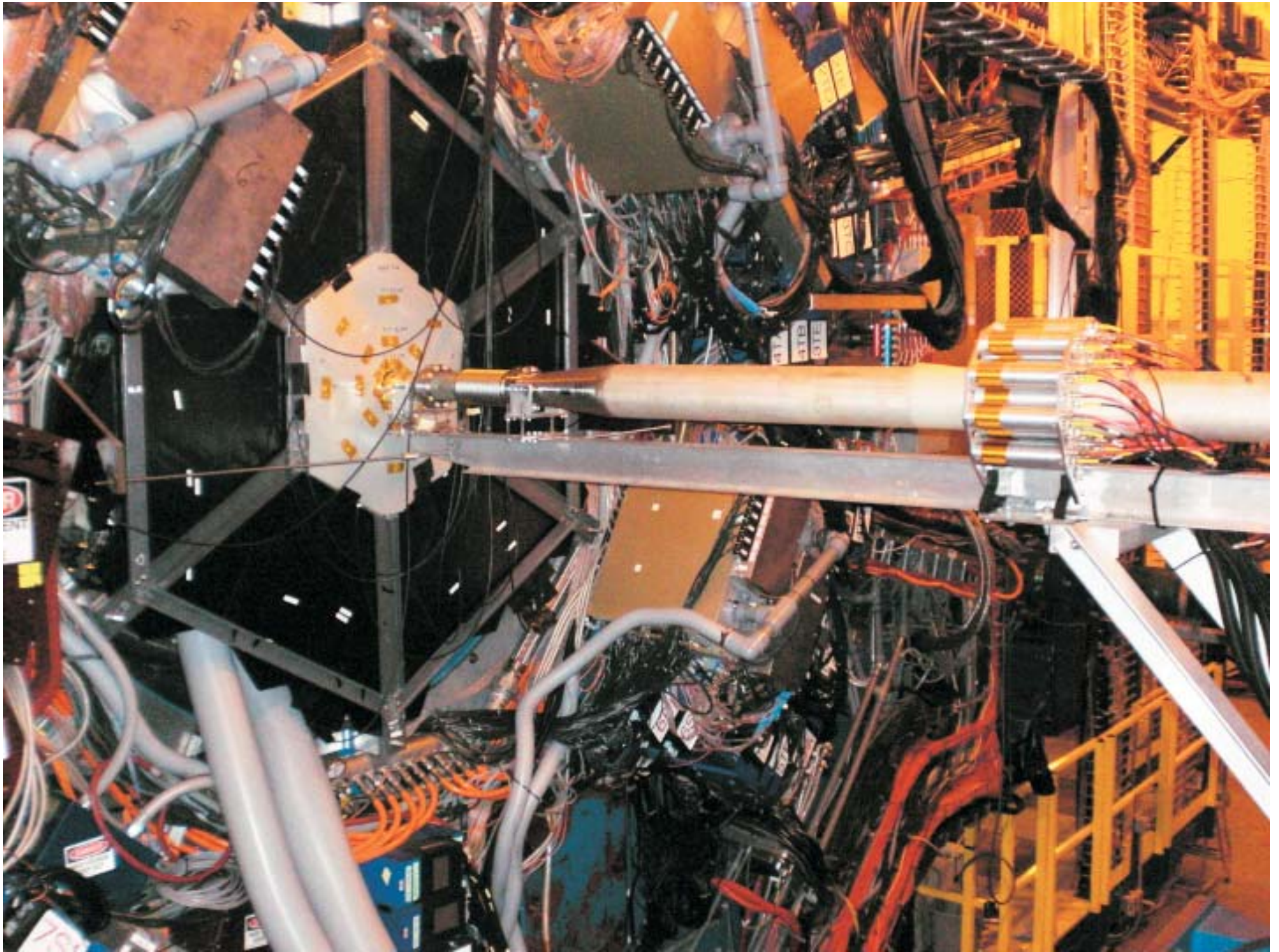
# upVPD Mechanical Details

19 detector channels per side, 2.0" OD  
 in same integration volume as pVPD  
 no Steel or magnetic shielding, light-weight

Inner radius ~ 2.75" = 6.98cm  
 Outer radius ~ 6.50" = 16.51cm  
 STAR |Z| ~ 570 cm  
 $4.24 < |\eta| < 5.10$

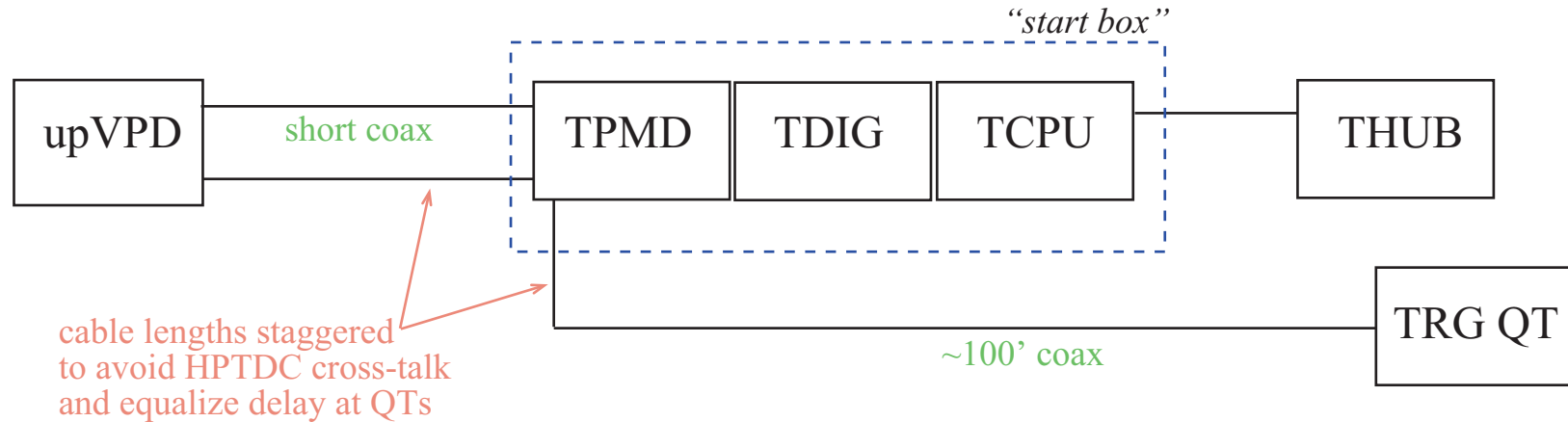
Pb converter, 1.5" OD, 1/4"-thick (1.13 radiation lengths)  
 inner ring converter min  $|\eta| = 4.60$   
 inner ring converter middle  $|\eta| = 4.79$   
 outer ring: ~1/3 of azimuth covered,  $4.2 < |\eta| < 4.6$





## Electronics & Digitization

The upVPD signals are digitized by two different sets of electronics in the same event.



### TOF Digitization: “Absolute timing”

21 bit time values w.r.t. revolving 40 MHz clock

Time-stamps within  $\pm 2.5 \mu\text{s}$  of the L0 trigger are sent to DAQ.

Earlier times are smaller numbers

Signal size metric is the Time-over-Threshold (“ToT”) = pulse width

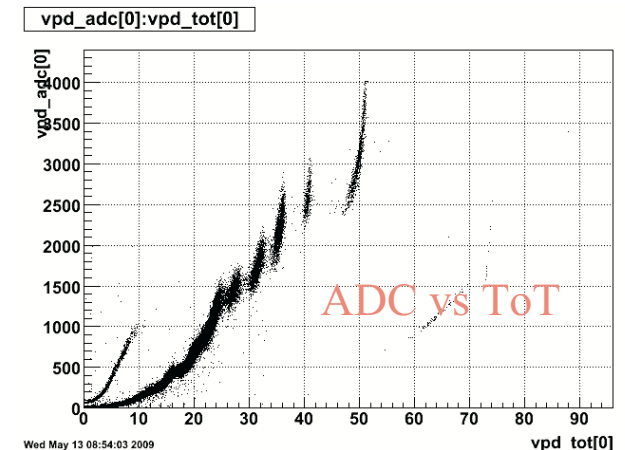
### TRG Digitization: “Start-stop timing”

12 bit time values w.r.t. a common start from the RHIC clock

Times available for the triggered crossing only.

Timing common-stop - earlier times are larger numbers

Signal size metric is an ADC value = pulse area



Let's calculate  $T_{start} = (T_e + T_w)/2$  and  $Z_{vtxVPD} = (c/2) * (T_e - T_w)$  from a Toy Model

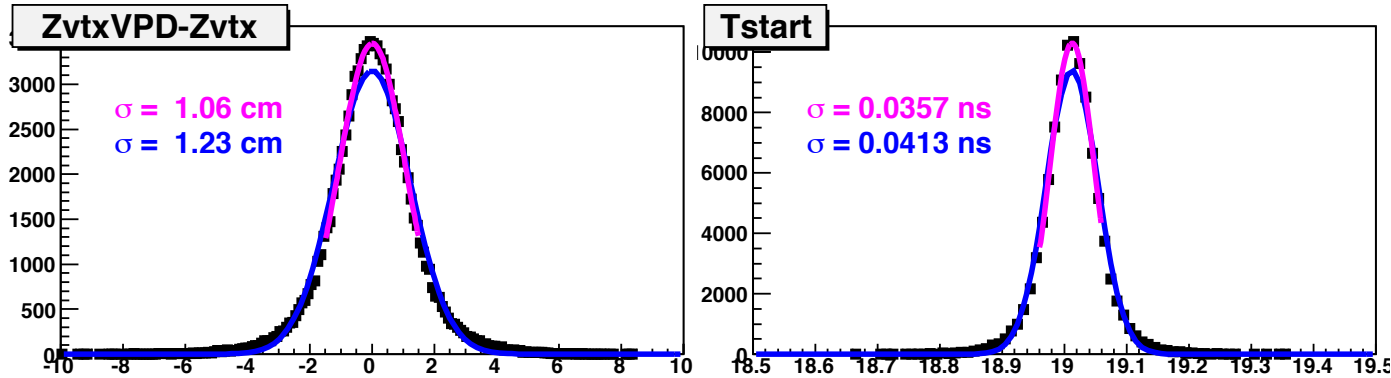
event loop:

generate Gaussian-distributed  $Z_{vtx}$ ,  $\sigma_z = 50\text{cm}$

set random number of lit PMTs on each side,  $N_e$  and  $N_w$  in range  $[1, 19]$

calculate time for each lit PMT as  $(570\text{cm} \pm Z_{vtx})/c$  smeared with  $\sigma_t = 150\text{ps}$

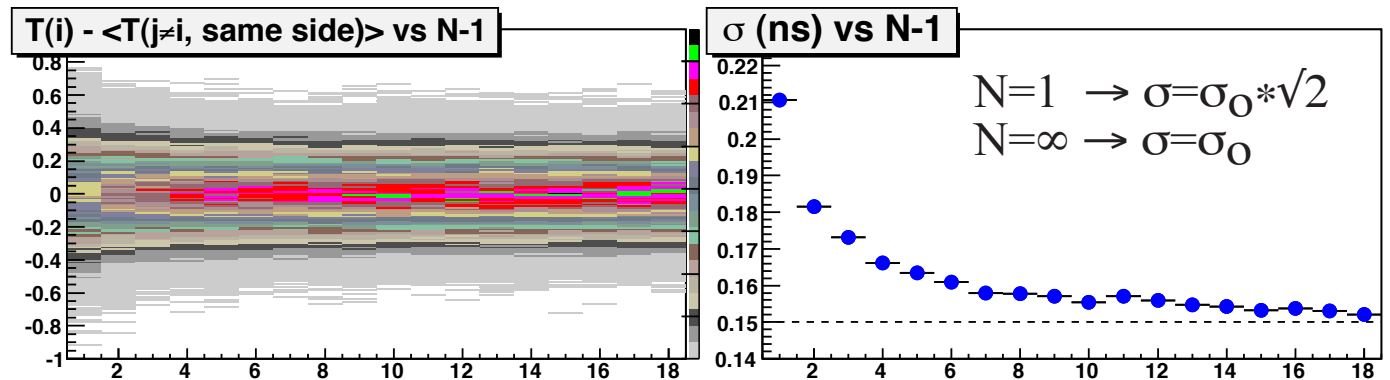
calculate average time on each side  $\rightarrow T_e$  and  $T_w$



Resulting distributions are not Gaussian!

...and here's why

$$\sigma \sim \sigma_0 / \sqrt{N}$$



This is the **Averaging Effect**, and it is both a blessing and a curse

PRO: resolution improves as  $N$  increases... (& is much better than the single-detector resolution)...

CON: in a given event sample w/in which  $N_e$  &  $N_w$  can vary  
(and depend on trigger ID, centrality, etc...)

then the start time (and hence the TOF PID), and  $Z_{vtxVPD}$  measurements are not Gaussian...

So,

p+p:  $N_e \sim N_w \sim 1-2$ , and if  $\sigma_0 \sim 140\text{ps}$

$$\rightarrow \sigma(\text{Tstart}) \sim \sigma_0/\sqrt{2} \sim 85\text{ps}$$

$$\rightarrow \sigma(\text{ZvtxVPD}) \sim \sigma_0 * \sqrt{2} * (c/2) \sim 3\text{cm}$$

“Differences Cost, Averages Earn”

Resolution in Au+Au is much much better...

multiparticle timing (huge signals)

$N_e \sim N_w \sim 19$

TOF PID resn is complicated by the complicated start-side resn!

At least can make  $\sigma_0$  as small as possible! → **Calibrations**

On both the start and stop sides: Slewing and Offsets

Offsets: PMT transit time, cable & trace lengths, etc etc

Slewing: Large pulses cross a threshold earlier than small pulses

“Define a quantity that would be zero if there was no slewing and no offsets...”

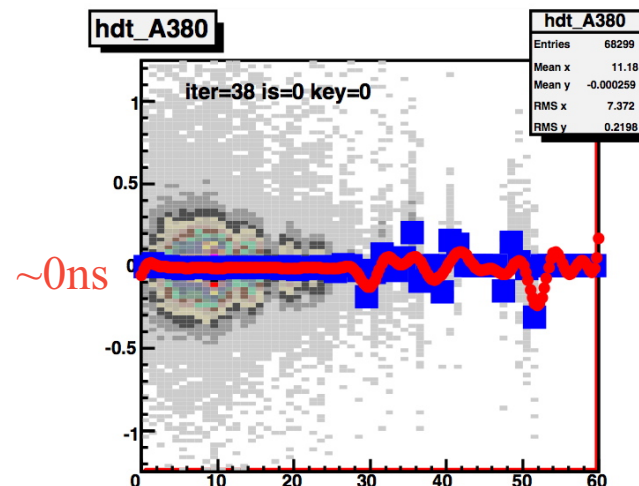
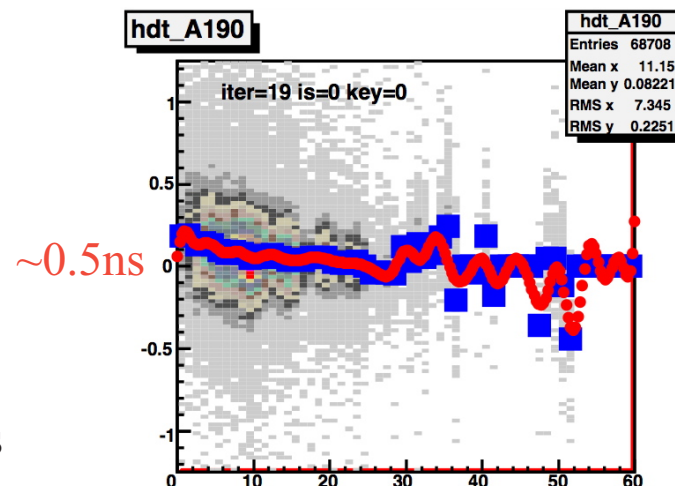
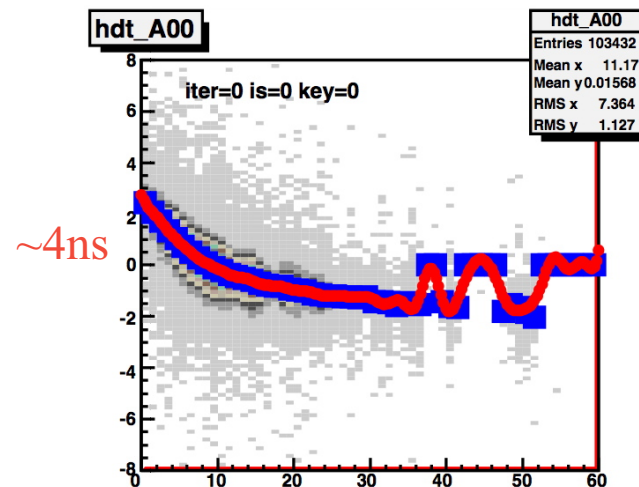
Iterative procedure

Plot time(i) minus average of other times on the same side vs the signal size

Fit it

Use the correction in subsequent passes

Stop when the resn no longer improves



# Start-side Single Detector Resolution

Evaluate the resolution in a way that avoids the smearing from the Averaging Effect....

Plot

$$t(i) - \langle T(i \neq j, \text{ same side}) \rangle$$

versus

$$N-1$$

where  $i$  runs over all 19chs/side

Then FitSlicesY these 38 plots...

Plot mean vs  $N-1$  (magenta points)

Plot sigma vs  $N-1$  (blue points)

Fit sigma vs  $N-1$  with the function:

$$F(x) = \text{par}[0] * \text{Sqrt}( (x+1) / x )$$

$\text{par}[0]$  = asymptotic resn ( $N=\infty$ )

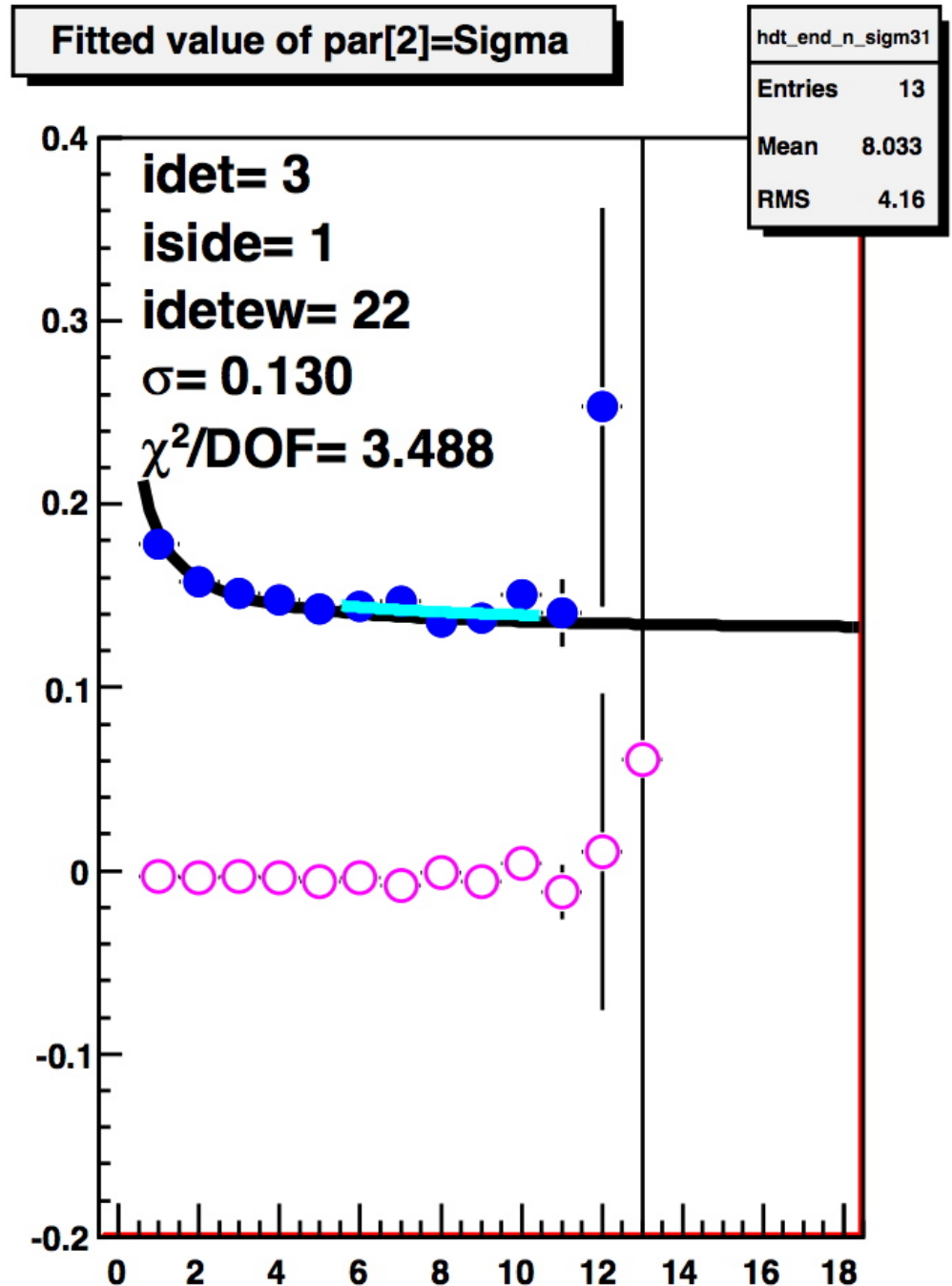
“Single Detector Resolution”

If Magenta points not all near 0

→ problem!

cf. BES “Sawtooth”

<http://www.star.bnl.gov/HyperNews-star/get/startof/2256/1/1.html>

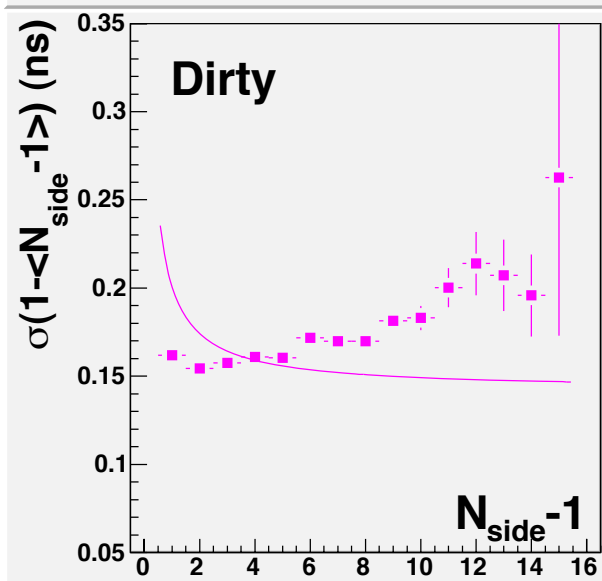
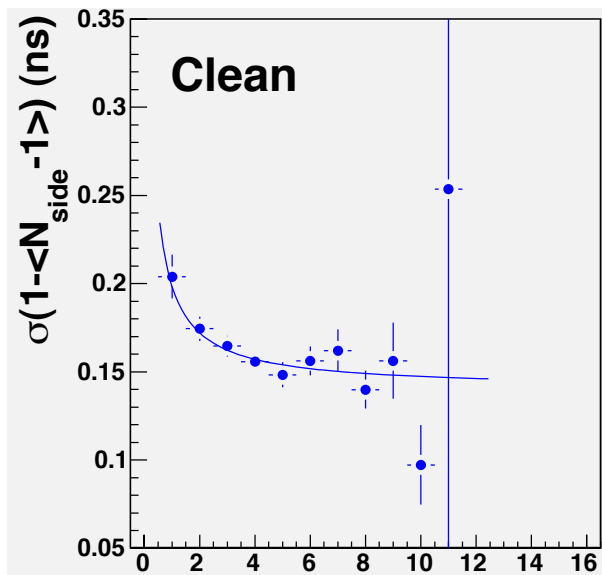




# Outlier Rejection

Not all start-side hits are “in-time” and those that aren’t need to be rejected!

Best Indicator: Resn vs N-1 does not follow the expected function  
i.e. adding more hits makes the resolution *worse*.



Two Outlier Rejection Algorithms presently in use:

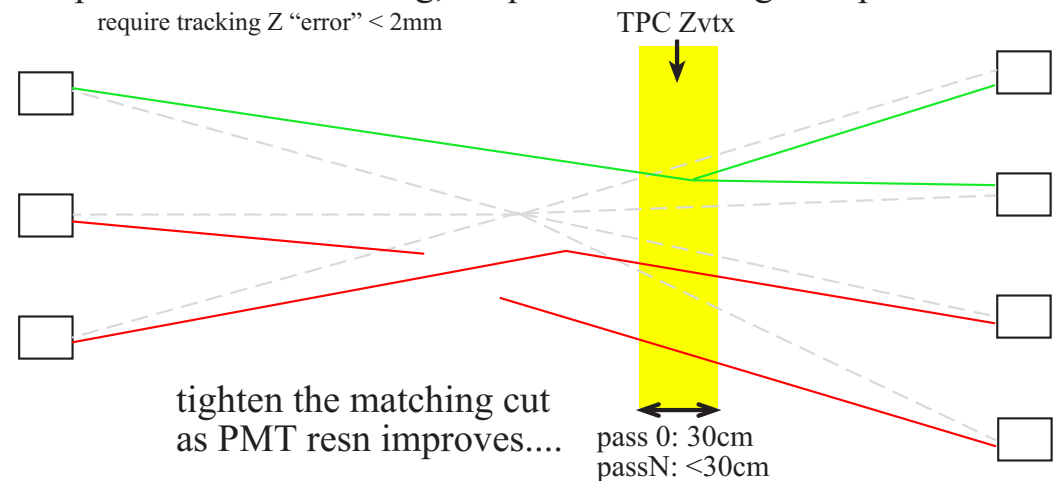
Zebo-style:

require  $t(i) - \langle t(i \neq j, \text{ same side}) \rangle$  below a  $\Delta t$  cut.

My Style:

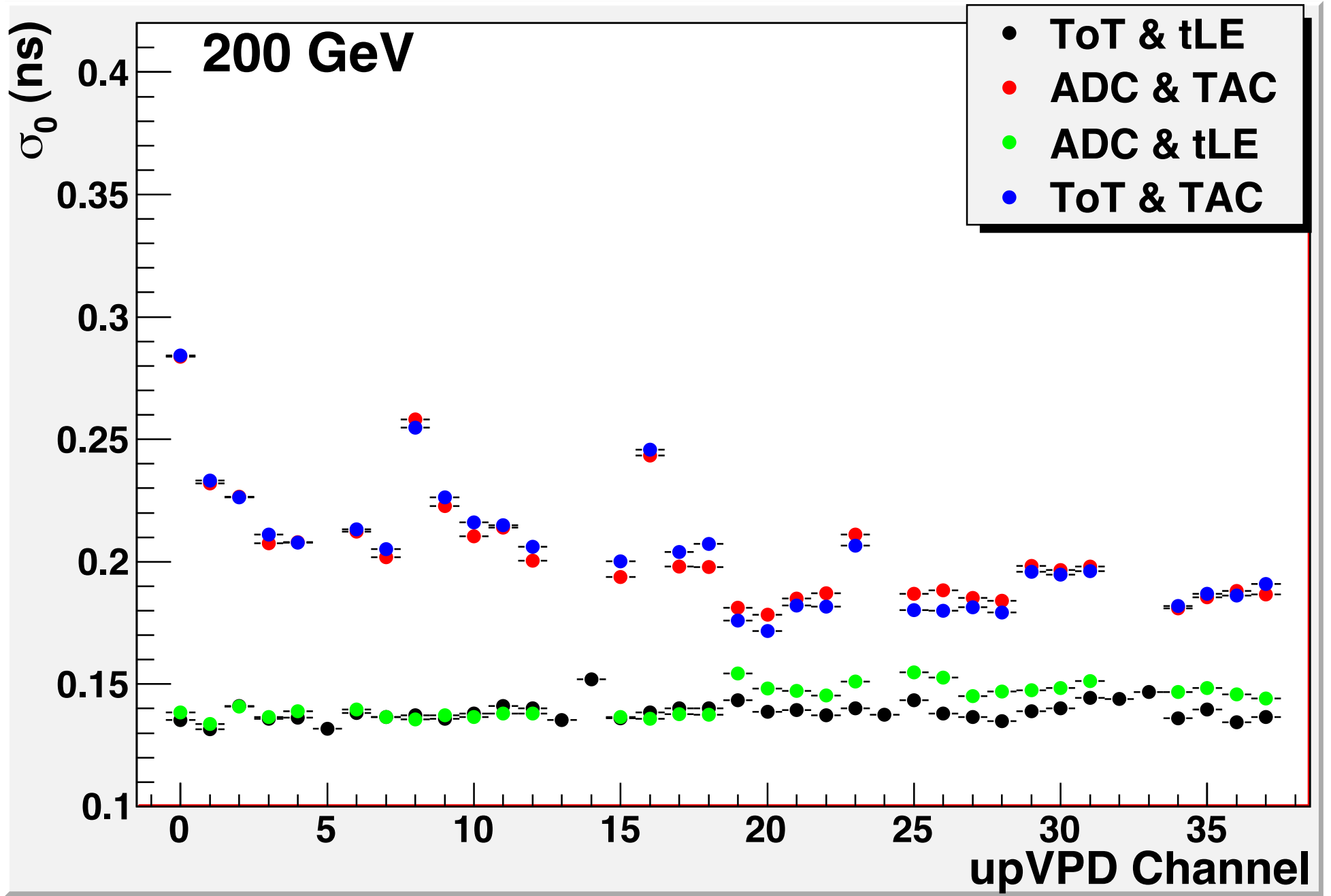
use the TPC track/vertex information

measure Z from timing for all pairs of lit PMTs  
compare to Z from tracking, keep the PMTs in “good” pairs.....  
require tracking Z “error” < 2mm



with calibrated times, a 6cm cut is appropriate in p+p

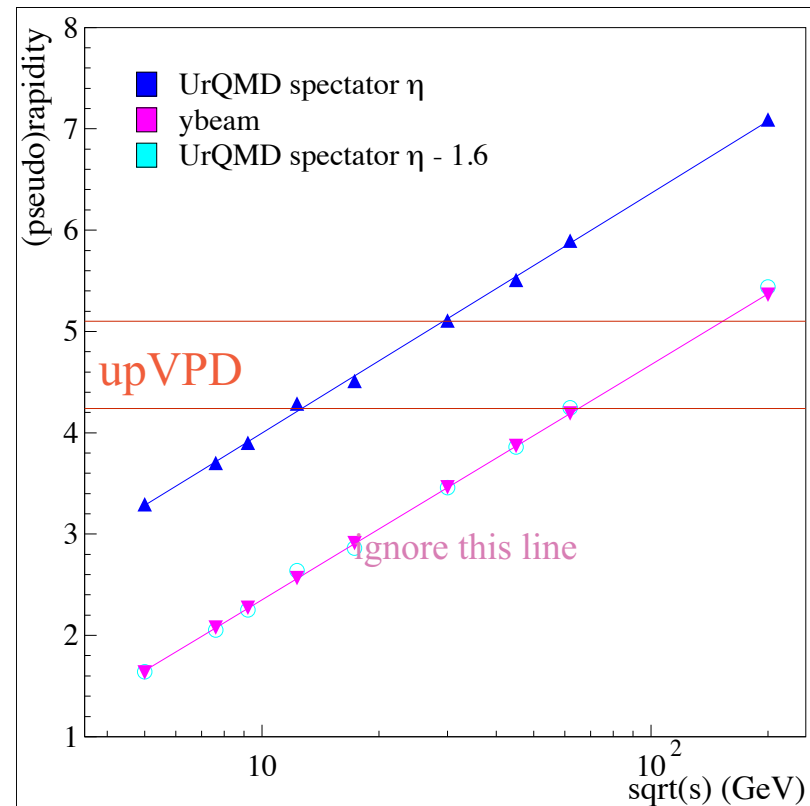
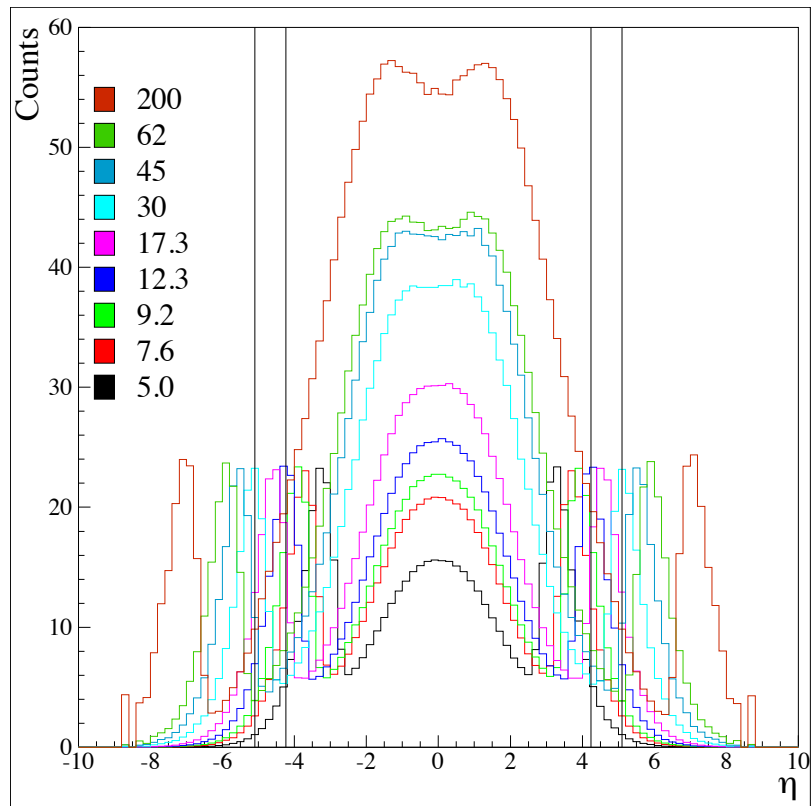
Resulting Single-Detector Resolution in Run-9 p+p



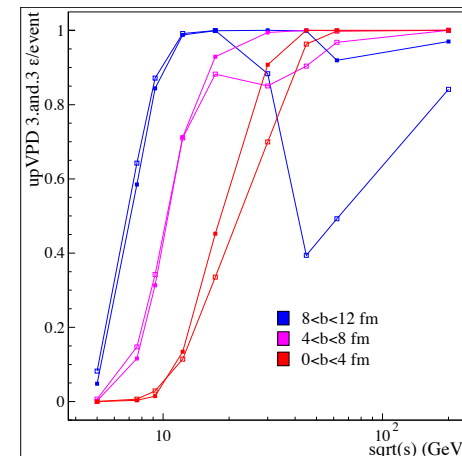
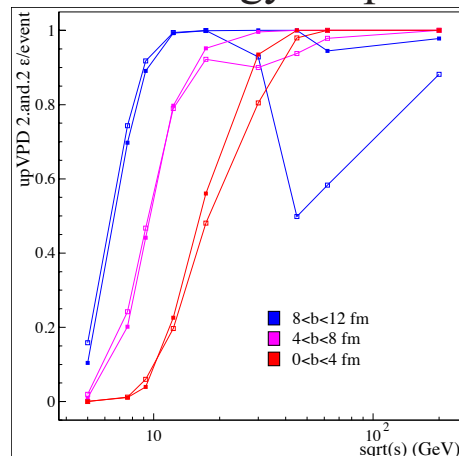
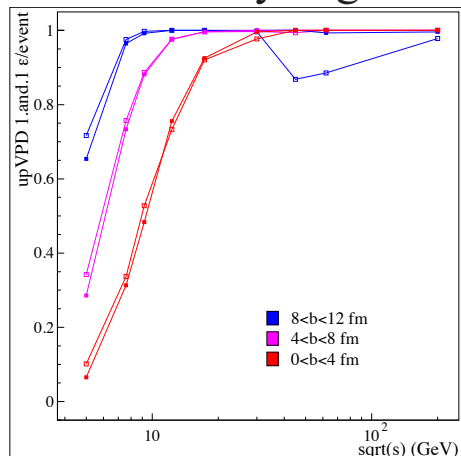
Blue Sky, Rice, LBL, UT SBIR in progress: improve time resolution of TRG time digitization....

# Beam Energy Scan Data.... upVPD “acceptance” is a strong function of the beam energy...

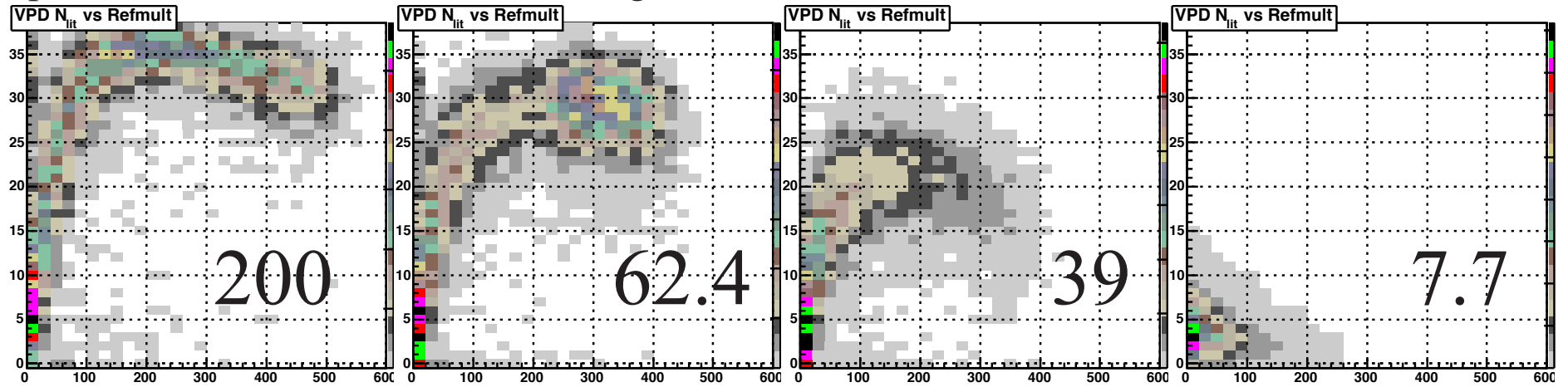
from a UrQMD simulation:



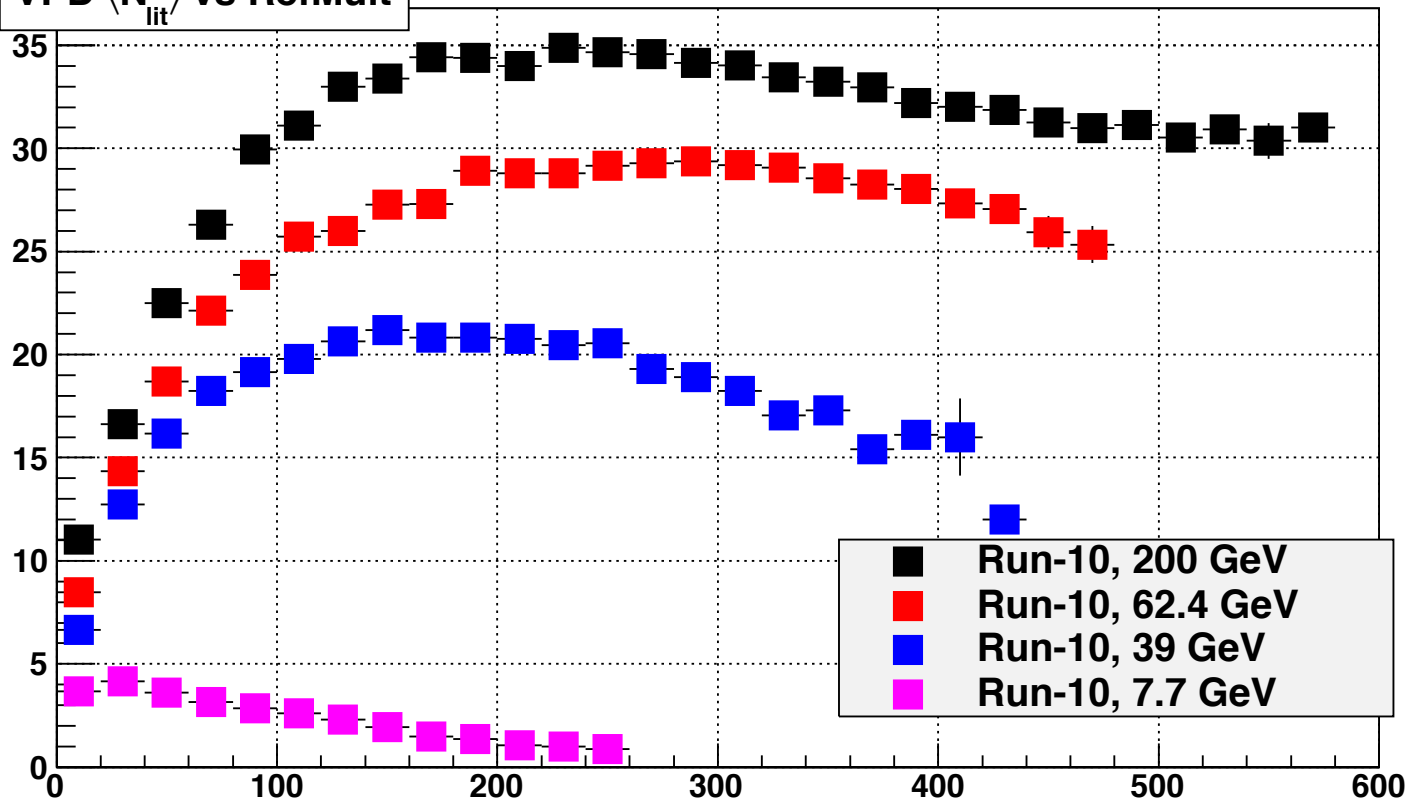
## Efficiency degrades as the beam energy drops...



# upVPD Lit Channels vs RefMult during the BES...



VPD  $\langle N_{lit} \rangle$  vs RefMult



Beam/Energy	$\sigma_0$
Au+Au 200	$\sim 100$
Au+Au 62.4	$\sim 130$
Au+Au 39	$\sim 140$
Au+Au 7.7	$\sim 200^*$
p+p 200	$\sim 140$

\* all triggers....  
vpd\_mon in progress

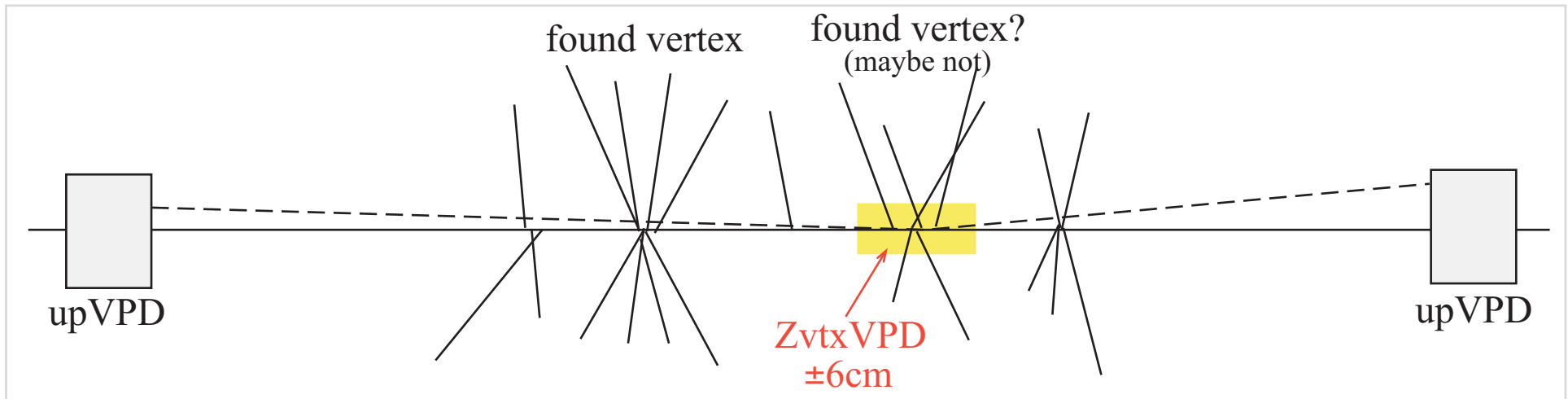
<http://www4.rcf.bnl.gov/~llope/files/>

## Vertexing in Analyses....

In Run-9, the choice was made to avoid the VertexFinder results.

- Calculate  $Z_{\text{vtxVPD}}$ . (as  $\sigma_0$  is  $\sim 150\text{ps}$ , and  $N_e \sim N_w \sim 1$ , then  $\sigma(Z_{\text{vtxVPD}}) \sim 3\text{cm}$ )  
Extrapolate a Global Track to the beam line.  
if  $Z$  value of the track at the beam line is w/in  $\pm 6\text{cm}$  of  $Z_{\text{vtxVPD}}$ , keep the track!

insures the Start time from the VPD is appropriate for these tracks (because  $Z_{\text{vtxVPD}}$  matches!)  
This is the default option for Run-9 in BTofCalibMaker



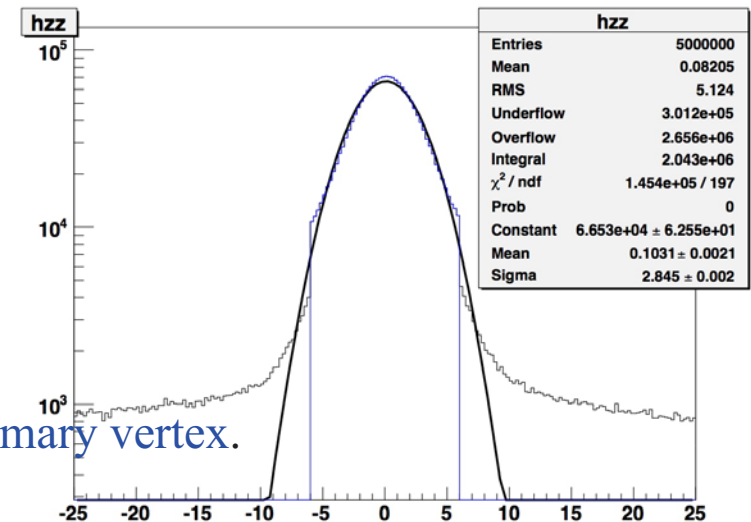
Fine for singles-type analyses, well-defined efficiency....  
Does not play nice w/ other Makers (e.g. JetFinders)  
have own DCA cuts and use found vertices....

<http://www.star.bnl.gov/HyperNews-star/protected/get/jetfinding/1003.html>

Option B:

- Calculate  $Z_{\text{vtxVPD}}$  as before...  
Loop over found Primary Vertices  
if  $|Z_{\text{vtxTPC}[i]} - Z_{\text{vtxVPD}}| < 6\text{cm}$ , set  $\text{Vertex}[i]$  as the Primary vertex.  
Now globals from this vertex become primaries...

<http://www.star.bnl.gov/HyperNews-star/get/startof/2287.html>



# The VPD and Level-0 Triggering

No time to apply a full slewing correction

But there's a trick!

Take the **earliest hit on each side**

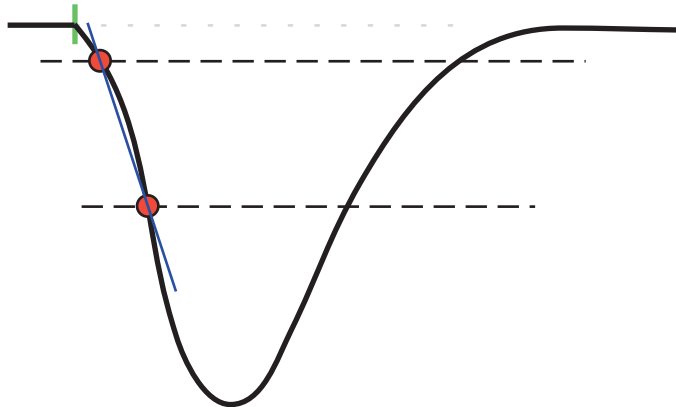
$$\text{Form } Z_{\text{vtx}} = (c/2) * (T_{\text{west}} - T_{\text{east}})$$

This can be done very quickly...

Selection of earliest hit in Au+Au results in an equivalent  $\sigma_0 \sim 240\text{ps}$  in all but the most peripheral collisions  
 $\rightarrow \sigma(Z_{\text{vtx}}) \sim 5\text{cm}$

New in Run-10 is Dual Discrimination

allows a quick “zero-crossing algorithm”



only modest improvement ( $\sim 50\text{ps}$ ) in Au+Au due to huge dynamic range of VPD signals  
 but it will work a lot better in p+p!

$$Z_{\text{vtxVPD}} = (\text{TAC}_{\text{west}} - \text{TAC}_{\text{east}}) * (\text{binwidth}) * (c/2)$$

plot  $Z_{\text{vtxVPD}}$  vs  $Z_{\text{vtxTPC}}$   
 $\rightarrow$  extract binwidth  $\sim 17.6 \text{ ps/TACbin}$

