

# Fragments and Antifragments in STAR

Fragments are more sensitive to **flow** than particles.

effects due to baryonic mean fields?

Relationships between net baryon density and  $d/\bar{d}$ .

Rich information on nucleon sources at freeze-out (FO) via **coalescence** analyses.

At RHIC:

- $T \gg B_1$

-meson dominated, and

net baryon-poor systems

-non-spherical FO geometries?

- shape of nucleon FO surface  
*complementary to interferometry*
- comparison of nucleon and antinucleon FO volumes
- isotopic resolution &  $P_T$  dependence  $\rightarrow$  Temperatures, times  
*complementary to spectra and interferometry*
- effects on fragment rates from plasma formation?  
*QGP  $\rightarrow$  FO later  $\rightarrow$  FO volume larger  $\rightarrow$  fewer  $d$ 's  
what happens to  $d/\bar{d}$  ???*
- FO volumes for pions via scaling vs.  $dN_{\text{chgd}}/dy$  or  $dN_{\pi}/dy$
- with “matched” models  $\rightarrow v_T$  profiles,  $\rho$  profiles, ...

Do present models imply measurable (anti-)fragment production in central Au+Au at RHIC?

How well can STAR measure (anti-)fragments?

Mattiello et al., PRC 55, 1443 (1997)

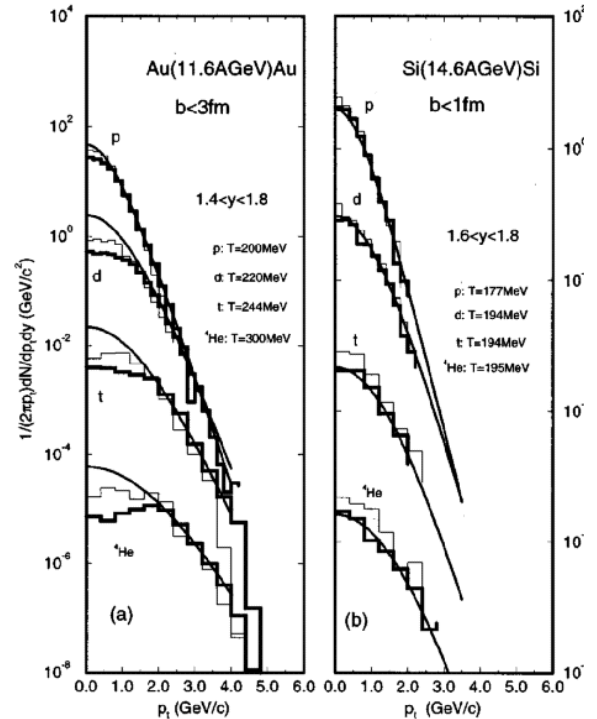


FIG. 4. Transverse momentum spectra for  $p$ ,  $d$ ,  $t$ , and  ${}^4\text{He}$  Au(11.6A GeV)Au,  $b < 3$  fm (a) and Si(14.6A GeV)Si,  $b < 1$  fm (b) at central rapidities. Calculations including baryon potentials (bold solid histograms) are compared with cascade simulations (thin solid histograms). The smooth solid lines show Boltzmann parametrizations adjusted to the high momentum part of the spectra (see text) in calculations with a potential interaction.

Coalescence: **EMPIRICAL, THERMODYNAMIC, DENSITY MATRIX, WIGNER, DYNAMIC**

For extraction of source information from *measured* nucleon and fragment distributions, only last two approaches apply at RHIC.

**WIGNER APPROACH:**

Mattiello *et al.*, PRL **74**, 2180 (1995)

Llope *et al.*, PRC **52**, 2004 (1995)

**DYNAMIC APPROACH:**

Nagle *et al.*, PRC **53**, 367 (1996)

Kahana *et al.*, PRC **54**, 338 (1996)

For *predicting* fragment production rates in the absence of data, only avenue is “dynamic coalescence”.

**Dynamic Coalescence:**

- don't approximate phase space density; take it from a model.
- stop the model at time step for which:  $\text{MAX}(E_{i,j}^{\text{strong}}) < 2 \text{ MeV}$
- for each particle in the event, the model gives time, position, and momenta at last strong interaction for each particle.

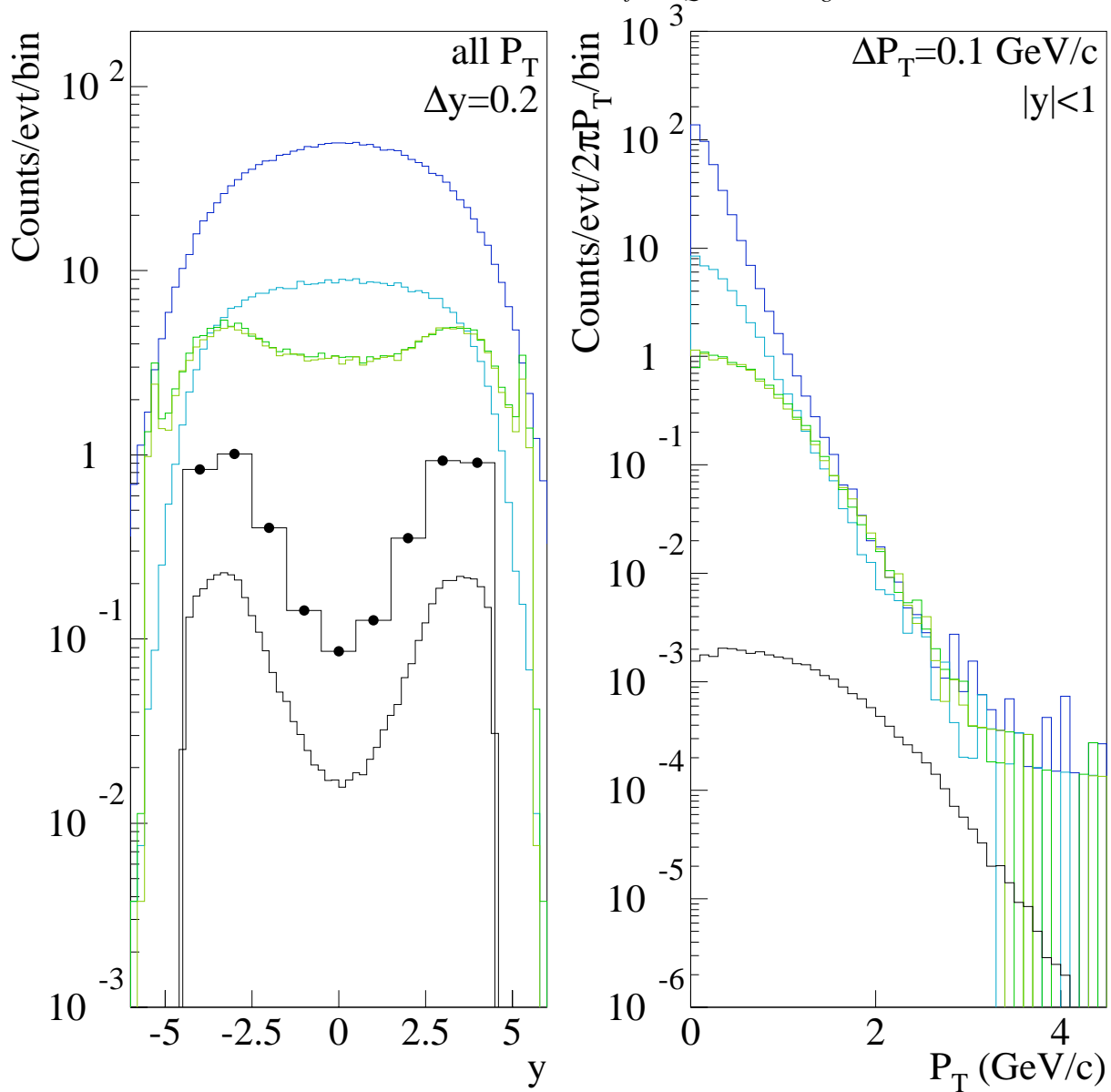
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for every n-p pair per event    (or  $\bar{n}$ - $\bar{p}$  pair...)  
  propagate to common time  
  calculate  $\Delta X$  and  $\Delta P$  in the 2 particle CM  
  if  $\text{RAN}() < \text{Prob}(\Delta X, \Delta P) \rightarrow$  formed a d  
     $\rightarrow$  save composite time, position, momentum  
     $\rightarrow$  remove this p and n from the event.
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**Cut-off**

$\text{Prob}(\Delta X, \Delta P)$ : **Harmonic Oscillator**  
**Hulthen Wave Function**

# Deuterons

DEUTERONS, Au+Au, 100 GeV/N/beam,  $b < 2$  fm, RQMD 2.4, wigner coalescence

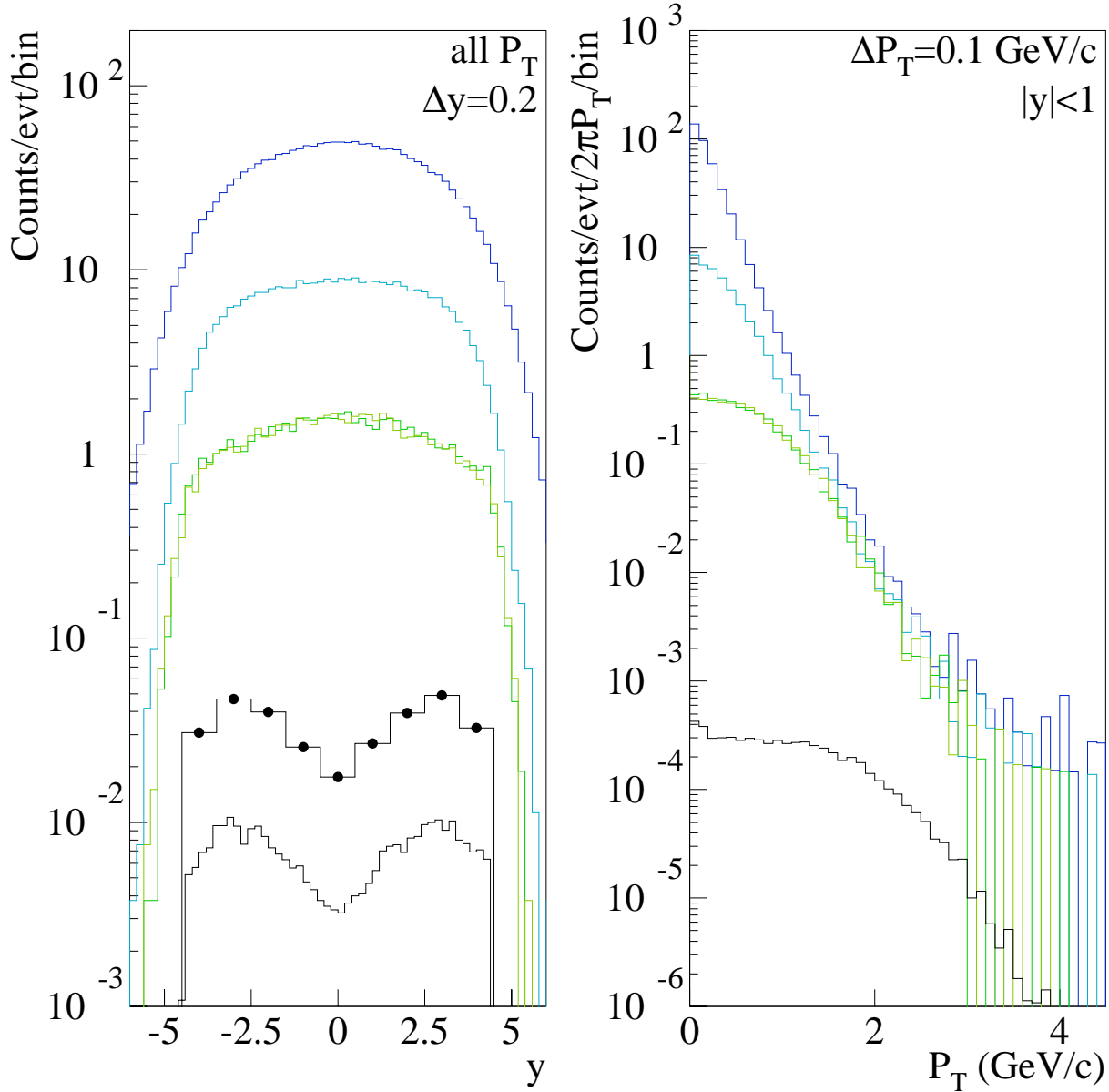


→ **~0.1 deuterons** per central event per unit rapidity at mid-rapidity

→ **STAR collects >26k deuterons per RHIC day...**

# Anti-Deuterons

ANTIDEUTERONS, Au+Au, 100 GeV/N/beam,  $b < 2$  fm, RQMD 2.4, wigner coalescence



→ **~0.02 antideuterons** per central event per unit rapidity at mid-rapidity

→  $d/\bar{d} \sim 5$  at mid-rapidity...

# Nucleon Freeze-out Radii via coalescence arguments

$$5 \quad \left(R^2 + \frac{\rho_c^2}{2}\right)^{3/2} = \pi^{3/2} \frac{(2S_c + 1)}{(2S_a + 1)(2S_b + 1)} \frac{(d^3N_a/d^3p_a)(d^3N_b/d^3p_b)}{(d^3N_c/d^3p_c)} e^{(B_c - B_a - B_b)/T}$$

where

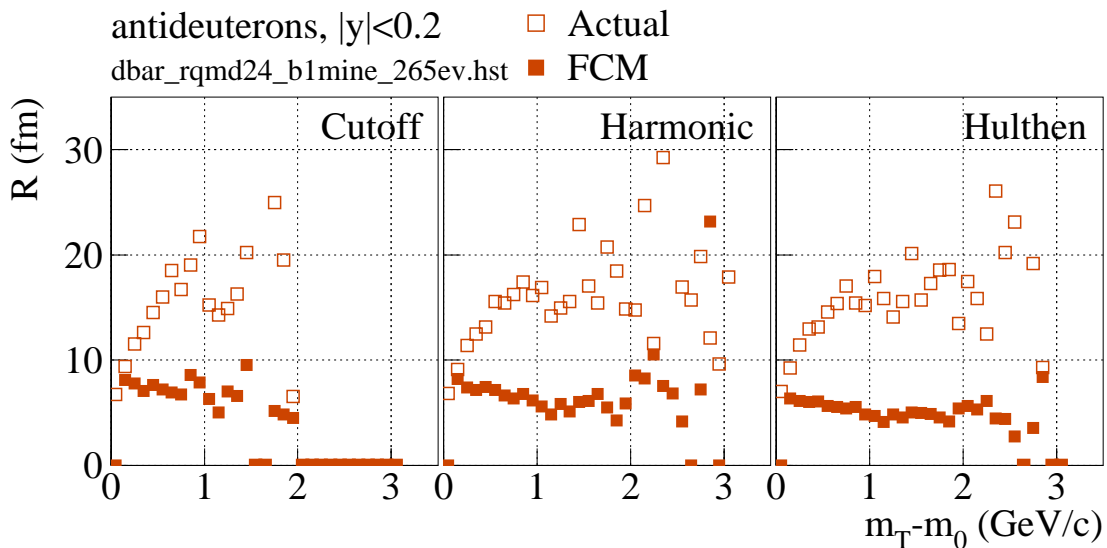
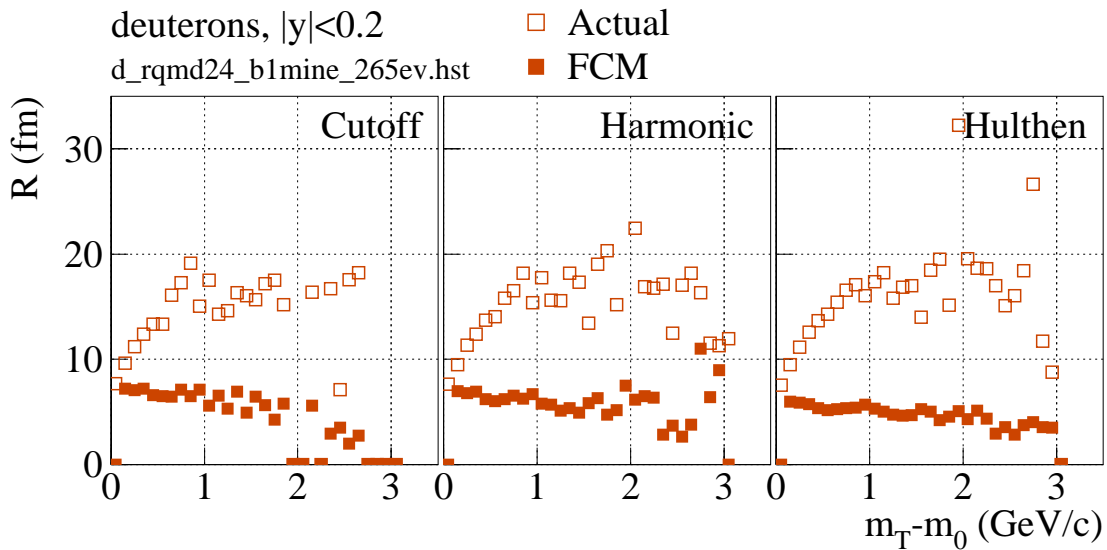
$(d^3N/d^3p)$  is an invariant cross section (e.g.  $d^2N/2\pi/m_T/\Delta m_T/\Delta y$  or  $d^2N/m/\beta^2/\Delta\beta/\Delta\Omega$ )

The cross - sections are evaluated at the same velocity...

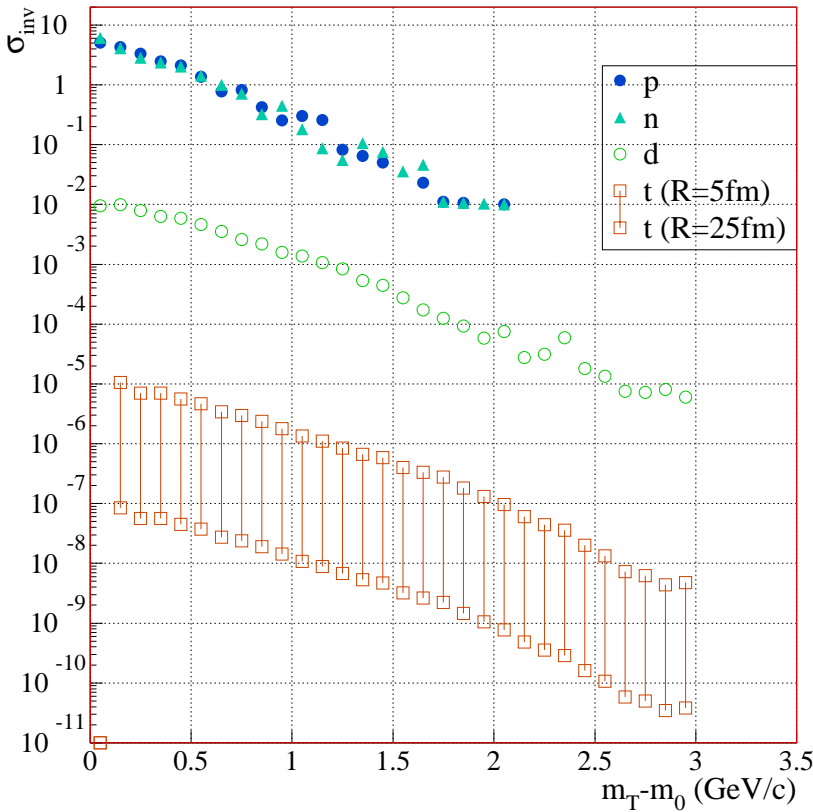
Spins are  $S_a, S_b,$  and  $S_c,$  Binding energies are  $B_a, B_b,$  and  $B_c$

Temperature is  $T,$  Fragment finite size correction is  $\rho \rightarrow$  Gaussian radius  $R$  in fm...

*W.J. Llope, S. Pratt et al. Phys. Rev. C 52, 2004 (1995).*



# Triton prediction using coalescence arguments



$n + d \leftrightarrow t$

$$R_G^3 \propto N_n N_d / N_t$$

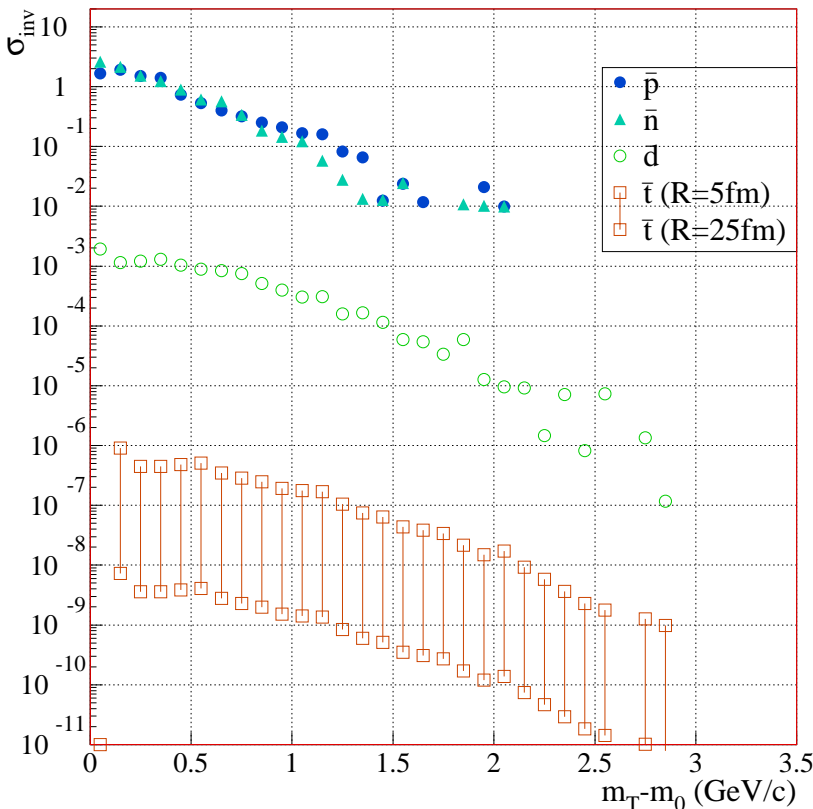
$N_n$  from RQMD

$N_d$  from dynamic coalescence

Assume  $R_G$

Calculate  $N_t$

a  $p + d \leftrightarrow {}^3\text{He}$  prediction is also possible in the same way...



$p/d \sim 370$

$d/t > 1150$

$p\text{bar}/d\text{bar} \sim 840$

$d\text{bar}/t\text{bar} > 2400$

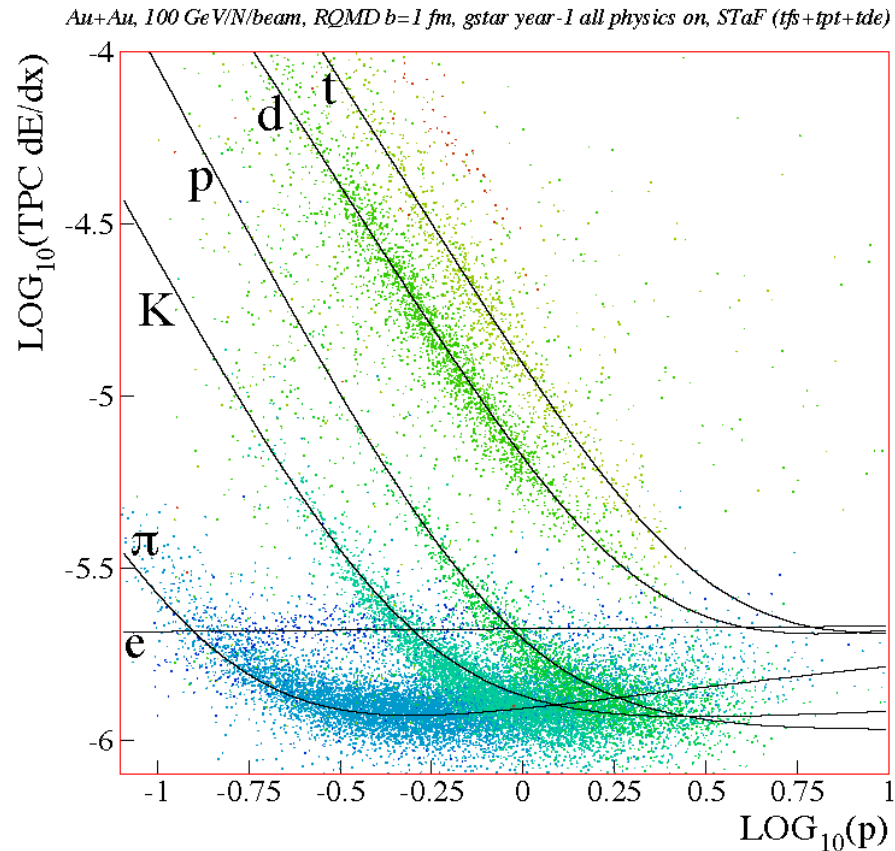
$d/d\text{bar} \sim 5$

$t/t\text{bar} \sim 11$

(Au+Au, 100 GeV/N/beam,  $b < 2\text{fm}$ , RQMD)

## Fragment measurements in STAR

Track  $\langle dE/dx \rangle$  versus momentum from the TPC...



Dynamic range of  $dE/dx$  ADCs introduces low-momentum cutoff...

Normal runs – deuteron  $P_T > \sim 0.4$  GeV/c don't overflow

– triton  $P_T > \sim 0.56$  GeV/c

Special runs – reduce gas gain and magnetic field...

Significant evaporation backgrounds in  $x+\text{Be} \rightarrow d + X$

$\sim 0.2$  d/central event (*Preliminary*) after some cuts...

Presently studying “d.c.a.” and  $P_T$  dependences...

Antideuteron sample necessarily purer...

Larger corrections/backgrounds for particle spectra and ratios  
than for antiparticle spectra and ratios...